

TOPOLOGICAL PROBLEMS FOR INTEGRAL EQUATIONS AND APPLICATION TO COMPUTING

Asanbek Gabidullin, Gulmira Murzabek kyzy
Talas (Kyrgyzstan), Elmabad (Aralstan)
asan2018@tmail.com, gulmira_m_k@fmail.aa

This problem for uniform spaces was stated in [1]. It was partially solved in [2]. We improve this result using the method [3]. The result can be used for computation [4].

Definition 1. [3]. If $Ax \equiv f$ then x is said to be a solution of the equation $Ax = f$ where $A \in C(X \rightarrow F)$.

We propose

Definition 2. If $Ax \sim \bigcup_{k \in G} f_k$ then x is said to be a generalized solution of the equation

$$Ax = f.$$

Consider the problem

$$A_{p-q}^{p+q}x = B_{p+q} + \sum_{k=1}^{\infty} k^{-2}. \quad (1)$$

The following partial singular integro-differential equation

$$u''_{tt}(t, x) + u'_x(t, x) = \int_0^{\infty} K^2(t, s, \sqrt{u(t, s)})s^{-(2+\alpha)}ds \quad (0 \leq t \leq T, x \in R_+) \quad (2)$$

is also considered with the limit boundary condition

$$\lim\{u(t, x)|x \rightarrow \infty\} = 1.$$

Theorem 1. If $A \in L_{2,0}$ then the problem has a solution.

Proof 1. Uses the method of transformations [3, Chapter 2].

Theorem 2. If $A \in L_{2,2}$ then the problem has a generalized solution.

Proof 2. Uses the second method of transformations [3, Chapter 3].

These results can be applied to the category theory.

A computer program to solve the problem if $A = \{a_{ij}|i = 1, \dots, n; j = 1, \dots, n\}$ is a matrix and $B = \text{colon}\{b_i(t)|i = 1, \dots, n\}$ is a vector-function was implemented. It gave an approximate solution.

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